## 3-2 Arithmetic Sequences

## **Objectives**

I can identify an arithmetic sequence.

I can write an arithmetic sequence as an explicit and recursive equation

Vocabulary - Common Difference, Term, initial value, explicit, recursive, arithmetic

## Vocabulary

Arithmetic: Sequence that ADDS OF SUBTRACT

Common Difference: What I addor SUB-ract d= common aifrence

First term: O = f Ist tem in sequence

Explicit Equation:  $Q_{N} = Q(N-1) \pm f$ 

**Recursive Equation:** 

$$Q_{n} = Q_{n-1} \pm Q$$

## **Notation**

any TERM #

n: TERM #

a<sub>n-1</sub>:

an+1: Nex+TeRM

PREVIOUS

0/2/1 ) (N) (N+1

11, 9, 7, 5, 3, ...

State the next 3 numbers: 1, -1, -3

Common Difference: Q = -2

First Term:

Explicit Equation:  $a_{n} = -2(n-1) + 11$ 

Recursive Equation:  $Q_n = Q_{n-1} - Q_n = Q_n$ 

-5, -3, -1, 1,....

State the next 3 numbers: 3, 5, 7

Common Difference: 2

First Term: - 5

Explicit Equation:  $Q_{N} = 2(N-1) - 5$ 

Recursive Equation:  $Q_n = 9_{n-1} + 7$ 

11, 8, 5, 2....

State the next 3 numbers:  $-\frac{1}{3} - \frac{4}{3} - \frac{1}{3}$ 

Common Difference: \_3

First Term:

Explicit Equation:  $Q_n = -3(n-1) + 1$ 

Recursive Equation:

Write an explicit formula for the given recursive formula

$$a_{n}=a_{n-1}+5.1$$
,  $a_{1}=7.5$   
 $a_{n}=a_{n-1}+d$ ,  $a_{1}=f$   
 $a_{1}=f$   

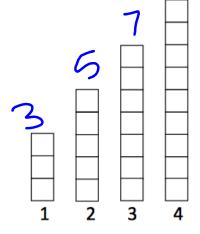
Write a recursive formula for the given explicit formula

$$a_n = 9 + (-3)(n-1)$$
 $a_n = 4 + (-3)(n-1)$ 

$$Q_{n} = q_{n-1} - 5$$
 $Q_{n} = q$ 

Scott has decided to add push-ups to his daily exercise routine. The bar graphs below show his recorded push-ups

each day.



11,13,15,17,19,71

How many push-ups will he do on day 10?

$$Q_n = 2(n-1) + 3$$
  
 $Q_1 = 2(10-1) + 3 = 2(9) + 3 = 18 +$ 

Write an explicit and recursive equation for the number of push-ups Scott does

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